

## ANALYSIS OF MOBILE GYROTACTIC MICRO ORGANISM FOR THE BIOCONVECTION FLOW OF NANO FLUIDS

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### ABSTRACT

In this work, convective heat transfer flow over a stretching / shrinking vertical sheet is studied in relation to hazardous reactions, concentrations, and temperatures using nanoparticles. The objective is to use MATLAB software's Bvp4c approach to transform the control linear ordinary differential equations (PDEs) into an ordinary differential equations (ODEs) set for statistical analysis. It is required to examine the interactions between a number of factors, including the Lewis number, other bioconvection-related limitations, the concentration-thermal-buoyancy connection, the chemical change constants and Prandtl numerals, and the rate of return between microorganisms and thermal buoyancy. The bioconvection flow profiles, temperature, concentration, and velocity numerical data are shown.

**Key Words:** Nanofluids, Microorganism, Gyrotactic Microorganism, Bioconvection Flow

Researchers have recently concentrated on the significance of fostering thermal suspension of pure liquids, including water, oil, glycol, besides supplementary nanofluids besides microscopic subdivisions. their liquids are crucial to the kind of warmth transporter fashionable warmth exchangers because their nanoparticles—such as copper oxide, silver, alumina, etc. Compartment besides normalize temperature transmission trendy stream. In the research and uses of non-Newtonian flows, Choi [1] suggested using nanoparticles toward intensification the current conductivity of fluids. These fluids are essential to many industrial and engineering applications, including energy generation, automobile cooling, biomedical equipment, and microelectronics.

Hay and colleagues [2] talked about the many forms and circumstances of nanofluid formations. The effects of thermal radiation on the decrease in entropy production in nanofluids travelling through thin ends and the evolution of entropy are examined using the thermodynamic second law. When a hydromagnetic fluid moves along a limited path, Salleh et al. [3] looked at stabilising the penetration alliance of the undertaking. This Buongiorno mode is utilised for Brownian analysis besides thermophoretic intrusion authority trendy this organization. Emission of homogeneous heat from assorted nanofluids scheduled a horizontal landfill was reported by Waini et al. [4].

Numerous manufacturing besides scientific procedures, including the decontaminating of polymers, the production of glass fibres, the extrusion procedure of sleekness, Magnetohydrodynamics influence producers, burning cylinder crystal criticizing, the extraction of geothermal influence, the freezing procedure of metallic plates, the production of soft besides neoprene expanses, the preservation procedure of atomic apparatuses, besides the drying or cooling of papers, depend heavily on the nanofluid movement finished reduction or extending pieces [5,6]. The biomedical sciences benefit greatly from nanofluids as well. A few examples include localised therapy, magnetic resonance imaging (MRI), cancer therapeutics, nano-cryosurgery, labelling of

malignant cells, nano-drug distribution, and bacteriostatic action [7]. Owing towards improved temperature transmission apparatus, nanofluids container similarly is exploited aimed at detergency.

Since it is used in many fields of biotechnology and science, the movement of gyrotactic bacteria in nanofluids has drawn a lot of interest from researchers and scientists in recent years. Nanofluid stability, microvolumes, and microscale mixing are three advantages of adding nanoparticles to the suspension of mobile microorganisms [8]. An array of bio-microsystems, such as those for optimising cellulose production or assessing the venomousness of nanoparticles trendy chip-shaped microdevices, may benefit from the use of microorganisms with nanofluids [9,10].

Natural gas and crude oil are produced through recycling phytocolloides like carrageenan besides alginic acerbic, which remain significant components of the inflamed besides russet ramparts of algal cells [11]. The stability of nanofluids is significantly enhanced by the microorganisms [12]. The oil-bearing layer is infused with microbes and nutrients to maintain the variation in permeability, a bioconvection phenomenon [13].

Industrial and commercial products such as biofuel, biofertilizers, and bioactive secondary metabolites (alcohol) are made using microorganisms. A type of microorganism called algae can be used to produce biofuel or biodiesel fuel due to its rapid growth [14]. Plant growth promoting microorganisms, or PGPMs, are a significant class of bacteria that can live in the rhizosphere (roots) of plants and enhance their growth while residing there. Microbial fertilizers, which increase agricultural output in an environmentally benign manner, frequently contain PGPMs [15]. In order to produce biofuel and accumulate bioactive metabolites or alcohols, cyanobacteria and eukaryotic microalgae have a number of special metabolic characteristics [16].

A thorough examination has been conducted on bioconvection nanofluid flows across porous media that include gyrotactic microorganisms. Aziz et al. predicted a bioconvective current of motile microorganisms besides nanoparticles confidential a straight platter entrenched trendy the permeable means [17]. They found that the rate at which motile bacteria proliferate in the flow is significantly influenced by the bioconvection parameters.

Ahmad et al. [18] provided an all-encompassing evaluation of the flow of nanoparticles inside permeable medium composed through gyrotactic creatures along an encompassing superficial. Also, Kessler [19] conducted an experiment to confirm that *Daniella* species—unicellular species that fall into the same phylum as motile microalgae—can have fungus removed by bioconvection via a porous medium, in this case surgical cotton. These pictures demonstrate the importance of studying the effects of porous media on bioconvection and the understanding of bioconvection through porous media.

Current effort aims toward contemporary the fresh training on the current of nanoparticle- and gyrotactic-microorganism-containing nanofluid towards a sheet. The bioconvection of gyrotactic microorganisms trendy the nanofluid current in conjunction through current radioactivity via the permeable media bygone the nonlinear reduction/extending superficial is not sufficiently explored in the literature currently in publication. Graphs are used to show and explain the results, which were obtained by adjusting the pertinent parameters.

### **Mathematical formulation**

The nanofluid currents trendy the unwavering frontier layers happening the homogeneous permitted tributary over a semi-infinite moving flat plate. Surface coordinates, which are normal to move, are utilized to calculate flow. Furthermore, a direct relationship would exist between the surface temperature and nanoparticle concentration and a unsolidified heat and concentration trendy

the moving liquid. Next, the Rosland's similarity for thermal radiation and a novel system of equivalences aimed at bioconvection current remain produced.

The subsequent equations for the continuity, momentum, temperature, concentration and energy are

$$\frac{\partial u'}{\partial x'} + \frac{\partial v'}{\partial y'} = 0 \tag{1}$$

$$u' \frac{\partial u'}{\partial x'} + v' \frac{\partial u'}{\partial y'} = u'_e \frac{\partial u'_e}{\partial x'} + v' \frac{\partial^2 u'}{\partial y'^2} + (\beta'_T)(T' - T'_\infty)g' + (\beta'_c)(C' - C'_\infty)g' + (\beta'_N)(N' - N'_\infty)g' \tag{2}$$

$$u' \frac{\partial T'}{\partial x'} + v' \frac{\partial T'}{\partial y'} = \frac{k'}{\rho' c'_p} \cdot \frac{\partial^2 T'}{\partial y'^2} + \frac{\mu'}{\rho' c'_p} \cdot \left( \frac{\partial u'}{\partial y'} \right)^2 \tag{3}$$

$$u' \frac{\partial C'}{\partial x'} + v' \frac{\partial C'}{\partial y'} = D'_n \cdot \frac{\partial^2 C'}{\partial y'^2} - k'_0 (C' - C'_\infty) \tag{4}$$

$$u' \frac{\partial N'}{\partial x'} + v' \frac{\partial N'}{\partial y'} + \frac{b'W'_c}{\Delta C'} \frac{\partial}{\partial y'} \left( N' \frac{\partial C'}{\partial y'} \right) = D'_m \cdot \frac{\partial^2 N'}{\partial y'^2} \tag{5}$$

The suitable frontier circumstances remain functional towards the governing equivalences (1) to (5):

$$v' = 0, u' = u'_w, T' = T'_w, C' = C'_w, N' = N'_w \text{ at } y' = 0 \tag{6}$$

$$u' \rightarrow u'_e, T' \rightarrow T'_\infty, C' \rightarrow C'_\infty, N' \rightarrow N'_\infty \text{ as } y' \rightarrow \infty \tag{7}$$

where  $N'_w$  - surface density of microorganism.

$$u'_w(x) = b' e^{\left(\frac{x'}{L'}\right)}, T'_w(x) = T'_\infty + T'_0 e^{\left(\frac{x'}{L'}\right)}, C'_w(x) = C'_\infty + C'_0 e^{\left(\frac{x'}{L'}\right)}, \tag{8}$$

$$N'_w(x) = N'_\infty + N'_0 e^{\left(\frac{x'}{L'}\right)}, u'_e(x) = a' e^{\left(\frac{x'}{L'}\right)}$$

Expanding the comparison alteration technique, PDE governing equivalences remain produced hooked on ODEs. The following remain the resemblance variables which remain charity:

$$\eta' = \sqrt{\frac{a'}{2v'L'}} b' e^{\left(\frac{x'}{2L'}\right)} y', \quad \psi' = \sqrt{2a'v'L'} e^{\left(\frac{x'}{2L'}\right)} f(\eta'),$$

$$u' = a' e^{\left(\frac{x'}{L'}\right)} f'(\eta'), v' = -\sqrt{\frac{v'a'}{2L'}} b' e^{\left(\frac{x'}{2L'}\right)} [f(\eta') + \eta' f'(\eta')], \quad T' = \theta(\eta') T'_0 e^{\left(\frac{2x'}{L'}\right)} + T'_\infty,$$

$$C' = \phi(\eta') C'_0 e^{\left(\frac{2x'}{L'}\right)} + C'_\infty, N' = X(\eta') N'_0 e^{\left(\frac{2x'}{L'}\right)} + N'_\infty \tag{9}$$

The PDEs remain twisted hooked on ODEs by way of tracks by means of the resemblance alteration variables:

$$f'''(\eta') + f(\eta') f''(\eta') - 2(f'(\eta'))^2 + 2 + 2\lambda'(\theta'(\eta') + \phi'(\eta')N'_c + X'(\eta')N'_N) = 0 \tag{10}$$

$$4f'(\eta')\theta(\eta') - f(\eta')\theta'(\eta') - \frac{\theta''(\eta')}{P'_r} - E'_c (f''(\eta'))^2 = 0 \tag{11}$$

$$4f'(\eta')\phi(\eta') - f(\eta')\phi'(\eta') - \frac{1}{L'_e P'_r} \phi''(\eta') + K' = 0 \tag{12}$$

$$4f'(\eta')X(\eta') - f(\eta')X'(\eta') - \frac{P'_e}{L'_b P'_r} (\phi''(\eta')X(\eta') + \Omega' \phi''(\eta') + X'(\eta') \phi'(\eta')) - \frac{1}{L'_b P'_r} X''(\eta') = 0 \tag{13}$$

In contrast to the boundary constraints,

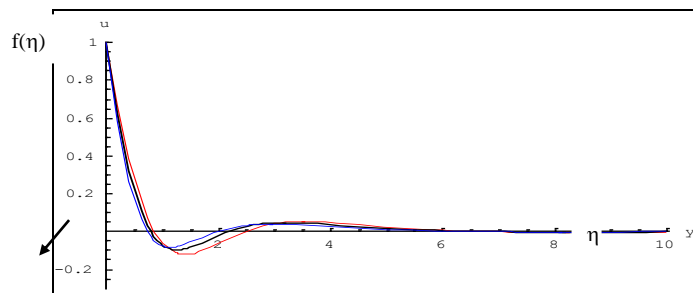
$$f(\eta')=0, f'(\eta')=\varepsilon, \theta(\eta')=1, \phi(\eta')=1, X(\eta')=1 \text{ at } \eta'=0 \tag{14}$$

$$f'(\eta')=1, \theta(\eta')=0, \phi(\eta')=0, X(\eta')=0 \text{ as } \eta' \rightarrow \infty \tag{15}$$

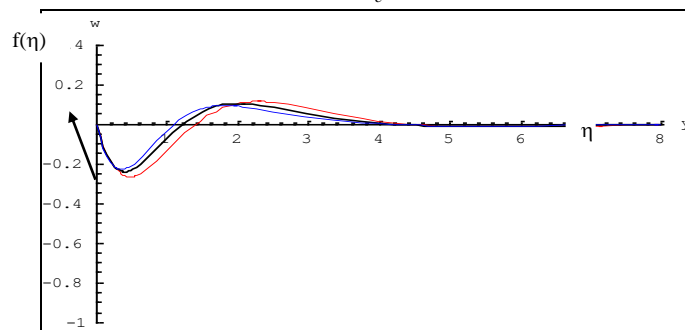
anywhere  $\lambda'$  - varied convection constraint,  $P'_r$  - Prandtl numeral,  $L'_e$  - Lewis numeral,  $P'_e$  - Bioconvection Peclet numeral,  $L'_b$  - Bioconvection Lewis numeral,  $\Omega'$  - microorganisms concentration alteration constraint,  $N'_c$  - concentration to thermal buoyancy relation constraint,  $N'_N$  - microorganism to thermal buoyancy relation constraint,  $E'_c$  - Eckert numeral,  $K'$  - chemical reaction constraint and  $\varepsilon$  - stretching/shrinking constraint.

**Outcomes and Deliberations**

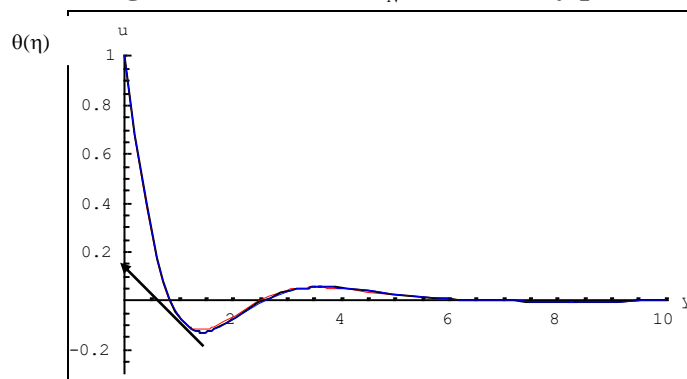
Due to its notable convenience in numerous manufacturing submissions, this work uses a special BVP toward approximation arithmetic explanations. This analysis's governing equivalences remain abridged toward nonlinear ODEs besides mathematically improved by means of MATLAB's bvp4c precise solver.



**Figure 1: Effect of  $N'_c$  on velocity profile**



**Figure 2: Effect of  $N'_N$  on velocity profile**



**Figure 3: Effect of  $E'_c$  on Temperature profile**

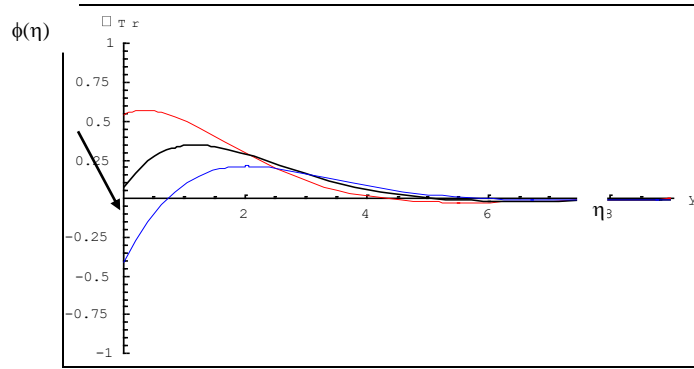


Figure 4: Effect of  $L'_e$  on Concentration profile

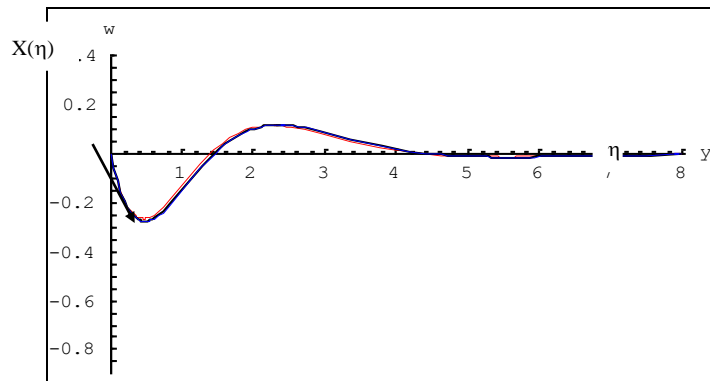


Figure 5: Effect of  $P'_e$  on Brownian motion profile

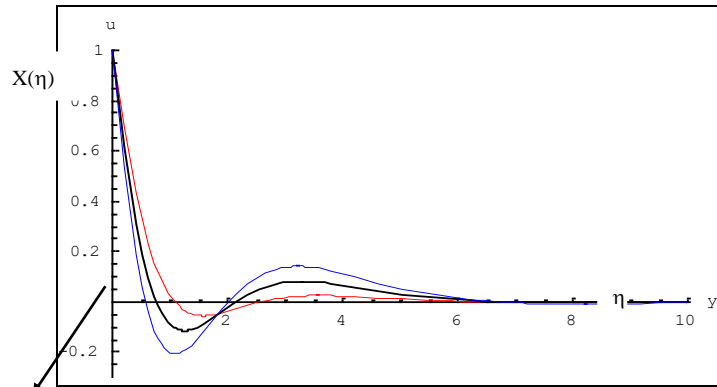


Figure 6: Effect of  $L'_b$  on Brownian motion profile

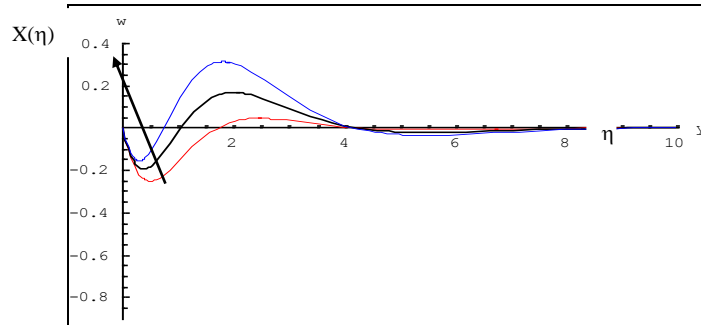
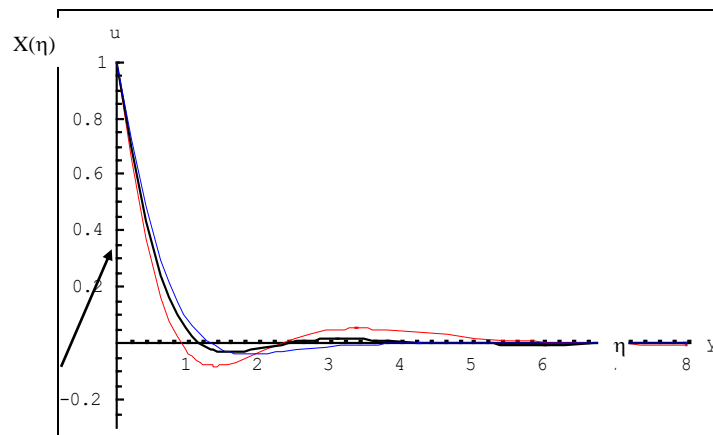


Figure 7: Effect of  $P'_r$  on Brownian motion profile



**Figure 8: Effect of  $\Omega'$  on Brownian motion profile**

Figure 1 depicts the Concentration of thermal bouncy ratio parameter on fluid velocity. The flow is intensified by an upsurge trendy the parameter value. Figure 2 show the effect of microorganism towards thermal buoyancy relation constraint in the liquid rapidity. The fluid velocity decreases with increase in  $N'_N$  value. Figure 3 and 4 describe the temperature profile and concentration contour. The infection outline increases through increase in the value of  $E'_c$ . Once the Eckert numeral increases, the dynamic vitality of the liquid remains channelled hooked on interior liveliness complete effort in contradiction of the glutinous liquid strains. By way of a consequence, attempting to raise Eckert number raises the fluid's temperature. However, it is in reciprocal over the profile of concentration. Near the wall, the concentration profile rises, and as it accelerates away from the wall, it slipped with increase in  $L'_e$ .

Figure 5, 6, 7 and 8 explains the effect of dimensionless microorganisms fractional function with increase in bioconvection pectlet number, Lewis number, Prandtl number, microorganism concentration difference parameter. The profile decreases with increase in bioconvection pectlet number, Lewis number. It is otherwise with increase of Prandtl number, microorganism concentration difference parameter

## Conclusion

Based on the analytical result and the graphs, we infer that the analysis of mobile gyrotactic microorganism for the bioconvection flow of nanofluids has been numerically considered. The issues that the similarity transformation technique revealed as a result.

- The temperature summary rises by way of the Eckert numeral intensifications and concentration contour falls as the Lewis numeral increases.
- The concentration of the thermal bouncy ratio parameter accelerates and the concentration of the microbe to thermal buoyancy relation constraint retards the liquid's rapidity.
- When the bioconvection pectlet number, Lewis number, and microorganism concentration differential parameter rise, the influence of dimensionless microorganisms fractional function reduces and increases, respectively.

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